

Review Lecture

Thursday August 23

maxSum

maxSum

0

2	-4	3	7	6	-2	-4
---	----	---	---	---	----	----

~~23~~
23

1

20	1	-2	4
----	---	----	---

2

2	7	1	1	1	1	2	2	3
---	---	---	---	---	---	---	---	---

Analogy

find max in a 1D array

-4	6	-2	20	20	100	-100
----	---	----	----	----	-----	------

max of A
~~*~~ ~~*~~ ~~*~~ ~~*~~
100

\int \int max of A
int max(int[] a) {
 int maxOfA = 5; \rightarrow int value?
 return maxOfA;
}

`ArrayList<String> list = new ArrayList<String>();`

`boolean b = list.add("alan");`
[empty list]

`boolean c = list.add("alan");`
[{"alan"}]
[{"alan", "alan"}]

Short Circuit

- evaluate \leftarrow to \mathbb{R} Logic

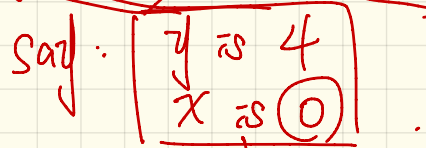
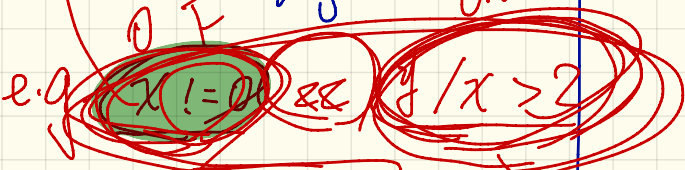
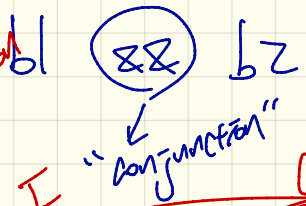
- In case $\&\&$: Conjunction ("and")

boolean b1
boolean b2

\nexists \leftarrow is F, overall is F anyway
skip evaluating \mathbb{R}

b1	b2	b1 and b2
T	T	T
T	F	F
F	T	F
F	F	F

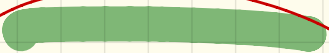
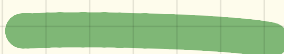
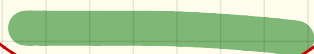
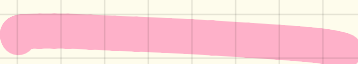
guarding condition



Say: x is 0
 y is 4

$x == 0$ || $y/x > 2$
T avoid evaluating
 this

$y/x > 2$ || $x == 0$
0 $x == 0$

$b1$	$b2$	$(b1)$ or $(b2)$
T	T	
T	F	
F	T	
F	F	

int i = ?? -1 7

int[] a = ?? {2, 3, 4, 5, 6}

① $0 \leq i$ $\&\&$ $i < a.length$ $\&\&$ $a[i] > 3$

② $i < a.length$ $\&\&$ $a[i] > 3$ $\&\&$ $0 \leq i$

False if $i \geq a.length$ (too large)

False if $0 > i$

guarding cond.!

crash when i is too small.

~~array indexing~~ (too small)

$a[i] > 3$

P. m

Person p = ??
 store address of Person object. p = null

~~p.getName()~~

Context object

method X ① ~~p == null~~ || ~~p.getName()~~ NPE
 Null Pointer Exception

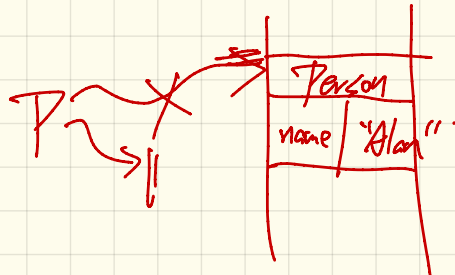
② p == null || p.getName()

③ p != null || p.getName()

X ④ ~~p != null~~ || ~~p.getName()~~ NPE

Person p = new Person("Alan");

① p.getName() || p == null
 NPE



Which one(s) can crash at runtime?

Short Circuit

1. division

$x \neq 0$ ~~or~~ $x/x > 2$

2. array indexing

$i \geq 0$ ~~or~~ $i < a.length$ ~~or~~
 $a[i] > 2$

3. method call

$p \neq null$ ~~or~~ $p.g(x)$


```

class Person {
    String name;
    Person spouse;
}

```

Person
reference type

Jim.spouse, spouse.name



①

Person	
name	"Jim"
spouse	null

```

① Person Jim = new Person();
    Jim.setName("Jim");

```

Jim.spouse.spouse.name

context object for name attribute

Jim.spouse.spouse

↳ null

NPE

```

② Person Jim = new Person();
    Jim.setName("Jim");

```

```

    Person mary = new Person();

```

```

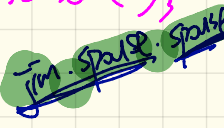
    Jim.spouse = mary;

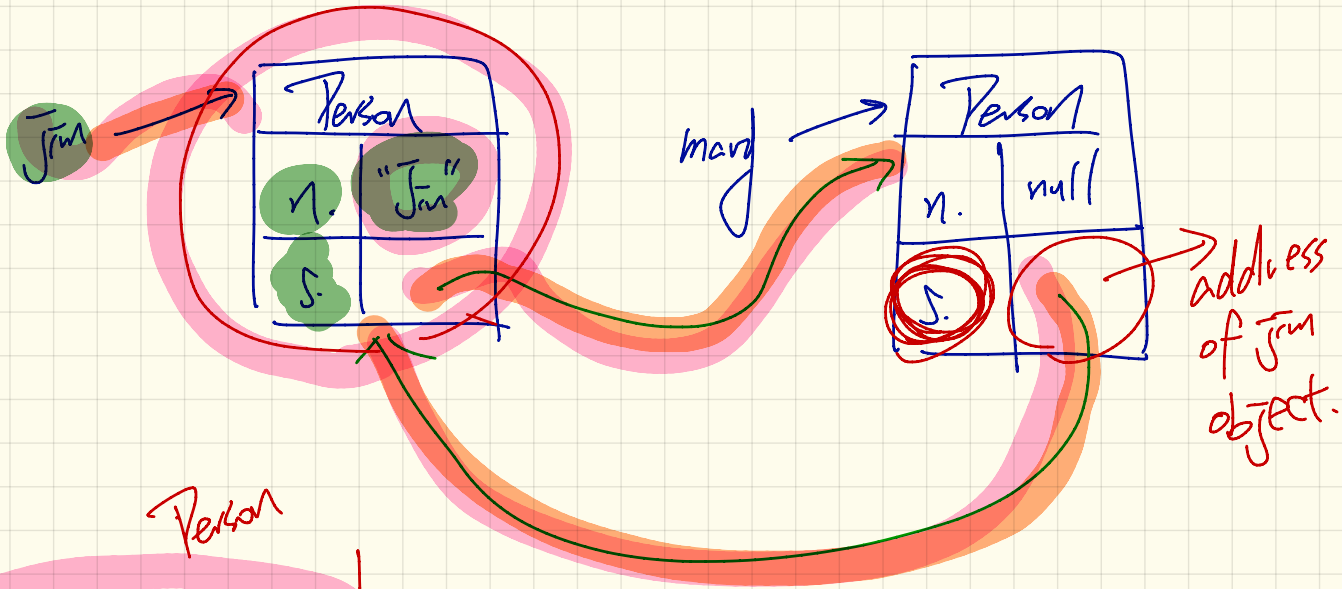
```

```

    mary.spouse = Jim;

```





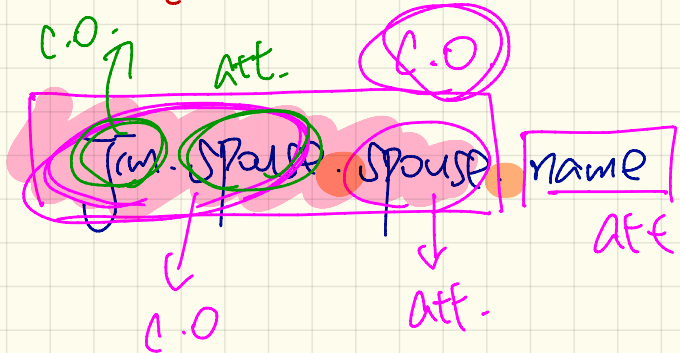
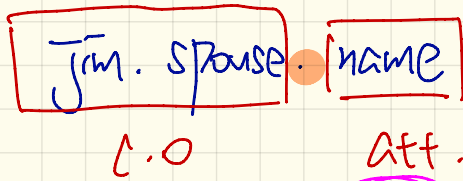
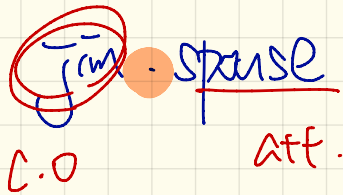
Person

① Jim.spouse.spouse

② Jim.spouse.spouse.name

Jim.spouse.spouse.spouse.name

Jim.spouse
Jim.spouse.spouse



String answer = nextLine();
boolean T continue = answer.equals("Y");
while (T continue) {

 "Y"
 answer = nextLine();
 continue = answer.equals("Y");
}

↑
"N"

Y
N

NPE : when the context object is null

P.g.v.s.m
null ↙

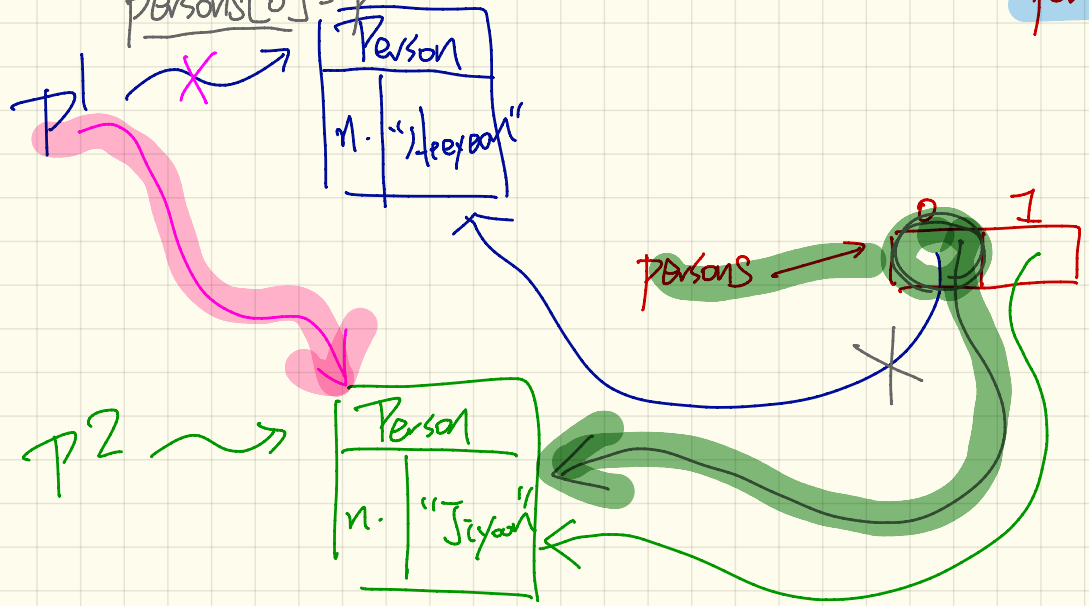
AIIBE : $a[i]$

$i < 0$ || $i \geq a.length$.

$Person[] \text{ persons} = \{ \text{p}, \text{p2} \};$ \rightarrow $Person[] \text{ persons} =$
 $\text{new Person}[2];$

$\text{persons}[0] = \text{p};$
 $\text{persons}[1] = \text{p2};$

$\text{p1} = \text{p2};$
 $\text{persons}[0] = \text{p2};$



$\text{persons}[0] == \text{p1}$ true

(X) = 3, 5

∴ p1 and p2 point to the same object

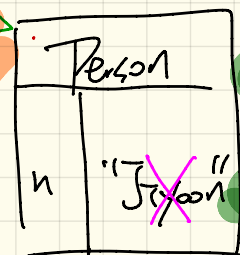
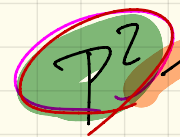
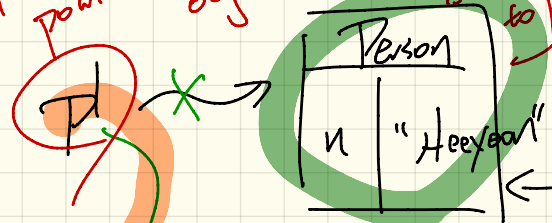
∴ change done via p2 is visible to p1

p1 = persons[i];

persons[0] = p2;

p2.setName("Jihye")

p1.name



persons



change 1:

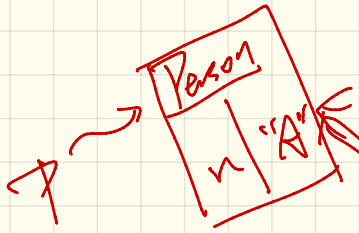
persons[i] = p1;

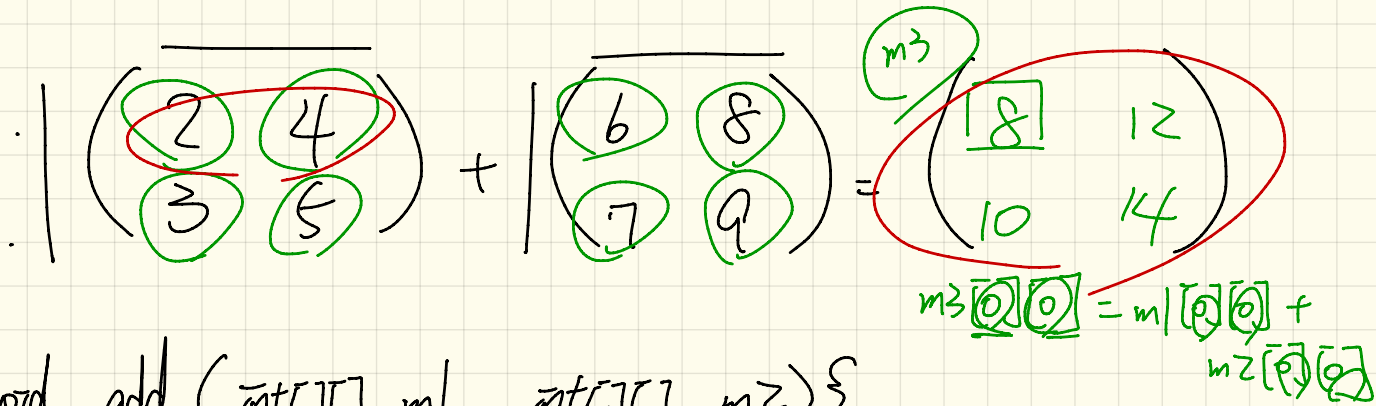
↳ no change

change 2:

Person p = new Person("A");

persons[i] = p;





```
void add (int** m1, int** m2)
```

```
int** m3 = new int[m1.length][m1[0].length];
```

```
for (int r=0; r < m3.length; r++)
```

```
for (int c=0; c < m3[r].length; c++)
```

```
    m3[r][c] = m1[r][c] + m2[r][c];
```

```
return m3;
```

```
}
```


$$m1 \begin{pmatrix} 1 & 2 \\ 3 & 4 \end{pmatrix} * m2 \begin{pmatrix} 5 & 6 \\ 7 & 8 \end{pmatrix} = m3 \begin{pmatrix} 19 & 38 \\ 31 & 50 \end{pmatrix}$$

The diagram illustrates the dot product of two 2x2 matrices, m1 and m2, resulting in a 2x2 matrix m3.
 - Matrix m1 has elements 1, 2, 3, and 4. The first row (1, 2) is highlighted in green, and the second row (3, 4) is highlighted in orange.
 - Matrix m2 has elements 5, 6, 7, and 8. The first column (5, 7) is highlighted in green, and the second column (6, 8) is highlighted in orange.
 - Matrix m3 has elements 19, 38, 31, and 50. The top-left element 19 is circled in red, and the top-right element 38 is also circled in red.
 - A green asterisk (*) is placed between the two matrices to indicate multiplication.

$$1 * 5 + 2 * 7 = 19$$

$$3 * 6 + 4 * 8 = 50$$

$m3[0][0]$
 ↙ ↘
 row 0 column 0
 of m1 of m2

$m3[1][1]$

```
class A {
```

```
    int i; non-static
```

```
    static int j;
```

```
    A() { };
```

```
}
```

```
A a1 = new A();
```

```
A a2 = new A();
```

A	
i	4

```
a1.i = 3;
```

```
① println(a1.i); 3
```

```
② println(a2.i); 0
```

```
A j  
a1.j = 4;
```

```
println(a1.j) 4
```

```
println(a2.j) 4
```

